## Structures: Sets and Tuples

## CPSC 231: Introduction to Computer Science for Computer Science

 Majors IFall 2021

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## Tuples?

## What is a Tuple?

- A collection of values
- Values
- May all have the same type, or
- May have different types
- Each item is referred to as an element
- Each element has an index (ORDERED)
- Unique integer identifying its position in the tuple
- A tuple is one type of data structure
- A mechanism for organizing related data


## Main thing to remember!

- Similar to lists, but
- length cannot be changed
- Items cannot be modified (immutable)
- () empty tuple, (3,) length one tuple

$$
\text { aTuple }=(1, " I C T ", 3.14)
$$

## Tuples

- Like a list, a tuple is a sequence type that its elements can be of any other type
- Support many of the same operations as lists
- Unlike lists, tuples are used to store data that should not be changed.
- Format
- <tuple name> = (<value 1>, <value 2>, ... , <value n>)
- Example

```
student = ('Marc', 123456789, 9.5)
```

print (student)
print (student[1])

## Tuple

- Format:
<list name> = (<value 1>, <value 2>, ... , <value n>)


## Examples:

```
nums = (10.0, 9.0, 8.5, 5.0, 7.5)
letters = ('a', 'b', 'c', 'd', 'e', 'f', 'g')
names = ('Marc', 'Jim', 'Ken')
mixed = (1.0,1,"this",True)
```

By defining the tuple memory is allocated for it names $=(x,) \rightarrow$ Singleton tuple of one time
Regular brackets () without comma are interpreted as empty tuple

## Tuple operations

| Operations | Example | Description |
| :--- | :--- | :--- |
| Indexing | name[i] | Access item by index |
| Slicing | name[start:end:step] | Get sub-tuple |
| Concatenation | names1+names2 | Join two tuples into larger tuple |
| Updateture | Immutable | Use slicing to get sub-tuple <br> Use concatenation to get larger tuple |
| Length | len(name) | Get length of tuple |
| Repetition | name*x | Multiply to get tuple with int x copies of its contents in order |
| Membership | n in name | Boolean if item is in tuple at base level |
| Loop | Iterate through each item in tuple |  |
| Index | name.index("Carl") | Returns first index of item "Carl" in tuple name |

## Tuple

- In effect when we return multiple values from a function we are using tuples
- The same
def foo():
return $x, y$
deffoo():
return ( $x, y$ )
- A number of common languages don't have tuples a structure like tuples, and are limited to returning a single pointer of data.


## Packing/Unpacking

- You can define a tuple without brackets. Python will interpret variables/expressions separated by commas.

```
\[
x=1,2
\]
\[
\operatorname{print}(x)->(1,2)
\]
\[
\operatorname{print}(x[0])->1
\]
\[
\operatorname{print}(x[1])->2
\]
```

$a, b=x$
print(a) -> 1
print(b) -> 2

The process seen here is generally called packing, and unpacking

## What is a Set?

- A collection of values
- Values
- May all have the same type, or
- May have different types
- Each item is referred to as an element
- Each element has an index UNORDERED
- Unique integer identifying its position in the list
- A set is one type of data structure
- A mechanism for organizing related data


## What is a Set?

- A set contains only immutable types
- A set only contains unique!!! elements
- A collection of values
- Values
- May all have the same type, or
- May have different types
- Each item is referred to as an element
- Each element has an index UNORDERED
- Unique integer identifying its position in the list
- A set is one type of data structure
- A mechanism for organizing related data


## Set

- Unlike a list/tuple, a set is unordered
- The functions for a set are very different (we can't index/slice)
- Unlike tuples, sets can change.
- Format
- <set name> = \{<value>, <value>, ... , <value>\}
- Example
- names $=\{$ "Albert", Brian", "Carl"\}


## Set

- Format:
<set name> = \{<value $1>$, <value $2>, \ldots$, <value $n>\}$


## Examples:

```
nums = {10.0, 9.0, 8.5, 5.0, 7.5}
letters = {'a', 'b', 'c', 'd', 'e', 'f', 'g'}
    names = {'Marc', 'Jim', 'Ken’}
    mixed = {1.0,1,"this",True}
```

By defining the set memory is allocated for it
names $=\operatorname{set}() \rightarrow$ Only way to declare an empty set
$\}->$ is interpreted as a empty dictionary

## Set operations

$\left.\begin{array}{|lll|}\hline \text { Operations } & \text { Example } & \text { Description } \\ \hline \text { Unique } & \mathrm{x}=\{1,1,1,2,2,2,2\} & \mathrm{x}=\{1,2\} \\ \hline \text { Membership } & \mathrm{n} \text { in name } & \text { Boolean if item is in set at base level } \\ \hline \text { Goncatenation } & \text { names1+namesz } & \text { toin two sets into larger set } \\ \hline \text { Update set } & \begin{array}{l}\text { add(item) } \\ \text { update(set) } \\ \text { remove(item) } \\ \text { discard(item) } \\ \text { pop() }\end{array} & \begin{array}{l}\text { no change if duplicate } \\ \text { add all items from other set } \\ \text { error if no item } \\ \text { no error } \\ \text { random remove }\end{array} \\ \hline \text { Length } & \text { len(name) } & \text { Get length of tuple } \\ \hline \text { Repetition } & \text { name** } & \text { Aultiply to get set with int xcopies of its contents in order }\end{array}\right\}$

## Sets

- Why do we use sets?
- Natural uniqueness can make some things quick (we can skip membership checks)
- Sets are rather common in many pure mathematics, logic, philosophy, and computer science (especially AI)
- Where have you seen sets visualized (Venn Diagrams!)


## Intersection (and)

## Set Notation

$A \cap B$

Python
$A \& B$


## Union (or)

## Set Notation <br> $A \cup B$

Python
A | B


## Symmetric Difference (not and)

Set Notation
$A \triangle B$

Python
$A^{\wedge} B$


## Complement Difference

Set Notation
$B \backslash A$
$A^{C} \cap \mathrm{~B}$

Python
B - A


## Set questions

| Operations | Example | Description |
| :--- | :--- | :--- |
| Is disjoint | x. isdisjoint $(\mathrm{y})$ | True if neither $\mathrm{x}, \mathrm{y}$ share an element |
| Is subset | x .issubset( y$) \quad$ OR $\mathrm{x}<=\mathrm{y}$ | True if all elements in x are in y |
| Is superset | x. issuperset $(\mathrm{y}) \quad$ OR $\mathrm{x}>=\mathrm{y}$ | True if all in elements in y are in x |
| Equal | $\mathrm{x}==\mathrm{y}$ | True if all elements in x are in y , all elements in y are in x |
| Not equal | $\mathrm{x}!=\mathrm{y}$ | True if at least one element is not in both x and y |
| Proper subset | $\mathrm{x}<\mathrm{y}$ | $\mathrm{x}<=\mathrm{y}$ and $\mathrm{x}!=\mathrm{y}$ |
| Proper superset | $\mathrm{x}>\mathrm{y}$ | $\mathrm{x}>=\mathrm{y}$ and $\mathrm{x}!=\mathrm{y}$ |

## Onward to ... dictionaries.

